



## G • Round and Round We Go

### Problem

A *cyclic number* is an integer  $n$  digits in length which, when multiplied by any integer from 1 to  $n$ , yields a “cycle” of the digits of the original number. That is, if you consider the number after the last digit to “wrap around” back to the first digit, the sequence of digits in both numbers will be the same, though they may start at different positions.

For example, the number 142857 is cyclic, as illustrated by the following table:

$$\begin{array}{rcl} 142857 & \times & 1 = 142857 \\ 142857 & \times & 2 = 285714 \\ 142857 & \times & 3 = 428571 \\ 142857 & \times & 4 = 571428 \\ 142857 & \times & 5 = 714285 \\ 142857 & \times & 6 = 857142 \end{array}$$

Write a program which will determine whether or not numbers are cyclic. The input file is a list of integers from 2 to 60 digits in length. (Note that preceding zeros should *not* be removed, they are considered part of the number and count in determining  $n$ . Thus, “01” is a two-digit number, distinct from “1” which is a one-digit number.)

### Output

For each input integer, write a line in the output indicating whether or not it is cyclic.

### Example

Input	Output
142857	142857 is cyclic
142856	142856 is not cyclic
142858	142858 is not cyclic
01	01 is not cyclic
0588235294117647	0588235294117647 is cyclic